TEACHING PL Course Title: Ordinary Differental Equations		Duration of Examination: 3 hours
with Applications		
Course Code: MAMT-103		Maximum Marks: 100
Course Instruct	or: Dr. Sanjay Kumar	
Course mando	Unit I	
LECTURE I	Mathematical modeling by means	of ordinary differential equations
LECTURET	The state of solutions of solut	ons of initial value problems for first
LECTURE 2	Existence and uniqueless of solut	ions of findal value pressure
TUTODIAL 1	order differential equations Exercises and examples related to Lecture I and Lecture 2	
TUTORIAL 1	Picard's Theorem	
LECTURE 3	Dispards Method of Successive Approximations	
LECTURE 4	Examples and exercises related to Lecture 3 and Lecture 4	
TUTORIAL 2	Singular solutions of first order ODEs	
LECTURE 5	Lineshitz conditions	
LECTURE 6	Lipschitz conditions Examples and Exercises rleated to Lecture 5 and Lecture 6	
TUTORIAL 3		
LECTURE 7	Linear systems Linear dependence and independence of solutions, Wronskian	
LECTURE 8	Exercises related to Lecture 7 and Lecture 8	
TUTORIAL 4	Unit II	a Leotaro o
	Solutions of homogeneous linear	system of first order ODEs with
LECTURE 9	Solutions of nomogeneous linear	System of mot order
	constant coefficients	linear ODEs
LECTURE 10	General theory of homogeneous linear ODEs Exercises and examples related to Lecture 9 and Lecture 10	
TUTORIAL 5	Exercises and examples related	to Lecture 9 and Lecture 10
LECTURE 11	General theory of non-homogeneous linear ODEs	
LECTURE 12	The General solution of the Hom	nogeneous equation
TUTORIAL 6	Exercises and examples related to Lecture 11 and Lecture 12	
LECTURE 13	The use of known solution to find another	
LECTURE 14	Llamageneous equation with constant coefficients	
TUTORIAL 7	Exercise and examples related to Lecture 13 and Lecture 14	
LECTURE 15	Mothod of undetermined coefficients	
LECTURE 16	Examples related to Method of I	Indefermined coefficients
TUTORIAL 8	Exercises related to Lecture 15 a	and Lecture 16
	Unit III	
LECTURE 17	Method of Variation of Paramet	ers
LECTURE 18	Examples related to Method of	Variation of Parameters
TUTORIAL 9	Exercises related to Lecture 1/3	and Lecture to
LECTURE 19	O-cillations and the Sturm Sent	ration Theorem
LECTURE 20	Examples related to Oscillations	s and the Sturm Sepration Theorem
TUTORIAL 10	Exercises related to Lecture 19	and Lecture 20
LECTURE 21	Cturm Liquville boundary value	problem
LECTURE 22	Examples related to Sturm-Liou	iville boundary value problem
TUTORIAL 11	Exercises related to Lecture 21	and Lecture 22
LECTURE 23	Sturm-Liouville equations	
LECTURE 24	Figen value problems	11 1 01
TUTORIAL 12	Exercises related to Lecture 23	and Lecture 24
	Unit I\	



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LECTURE 25	Series solutions of non-autonomous systems	
LECTURE 26	Second order Linear Equations	
TUTORIAL 13	Examples and exercises related to Lecture 25and Lecture 26	
LECTURE 27	Ordinary points	
LECTURE 28	Examples related to Ordinary points	
TUTORIAL 14	Exercises related to Lecture 27and Lecture 28	
LECTURE 29	Regular Singular points	
LECTURE 30	Examples related to Regular Singular points	
TUTORIAL 15	Examples and exercises related to Lecture 29 and Lecture 30	
LECTURE 31	Legendre and Bessel series	
LECTURE 32	Frobenius method	
TUTORIAL 16	Examples and exercises related to Lecture 31and Lecture 32	
	Unit V	
LECTURE 33	Discrete dynamical systems	
LECTURE 34	Examples related to Discrete dynamical systems	
TUTORIAL 17	Exercises related to Lecture 33and Lecture 34	
LECTURE 35	Stability of dynamical systems	
LECTURE 36	Examples related to Stability of dynamical systems	
TUTORIAL 18	Exercises related to Lecture 35and Lecture 36	
LECTURE 37	Lyapunov exponential	
LECTURE 38	Examples related to Lecture 37	
TUTORIAL 19	Exercises related to Lecture 37and Lecture 38	
LECTURE 39	asymptotic stability	
LECTURE 40	Examples related to Lecture 39	
TUTORIAL 20	Exercises related to Lecture 39and Lecture 40	
Total Lectures:	Total = 60	

Textbooks:

1. G F Simmons, Differential equations with applications and historical notes, Tata McGraw-Hill Edition, 2003.

Reference books:

- 1. S L Ross, Differential equations, Blaisdell publishing company, First Edition, 1964.
- 2. G Birkhoff and G C Rota, Ordinary differential equations, Boston, 1962.
- 3. E A Coddington and N Levinson, Theory of Ordinary differential equations, McGraw-Hill, New York, 1955.
- 4. Saber N Elaydi, An introduction to Differential Equations, Springer-verlag, Second edition, 1995.
- 5. V I Arnold, Ordinary Differential equations, PHI, New Delhi, 1998.

